

# LA-UR-25-26758

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**Title:** FSEN Reaction Rate Calculations in MCNP

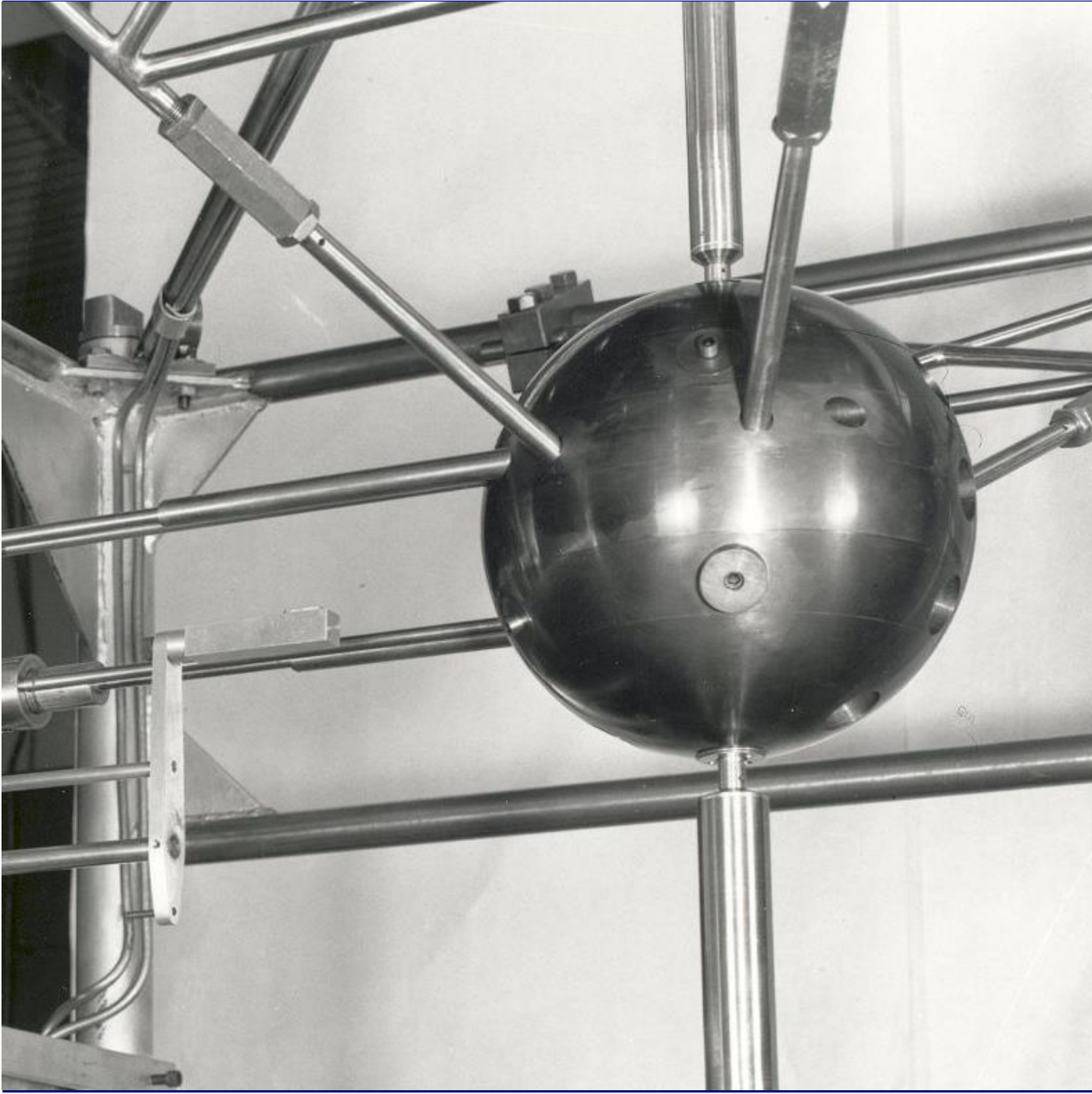
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**Intended for:** MCNP User Symposium 2025, 2025-07-07/2025-07-11 (Los Alamos, New Mexico, UNITED STATES)

**Issued:** 2025-07-14



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# FSEN Reaction Rate Calculations in MCNP

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July 7 – 11, 2025

MCNP User Symposium 2025

Los Alamos, NM, USA

LA-UR-25-XXXXX

# Outline

## Supporting Pu operations

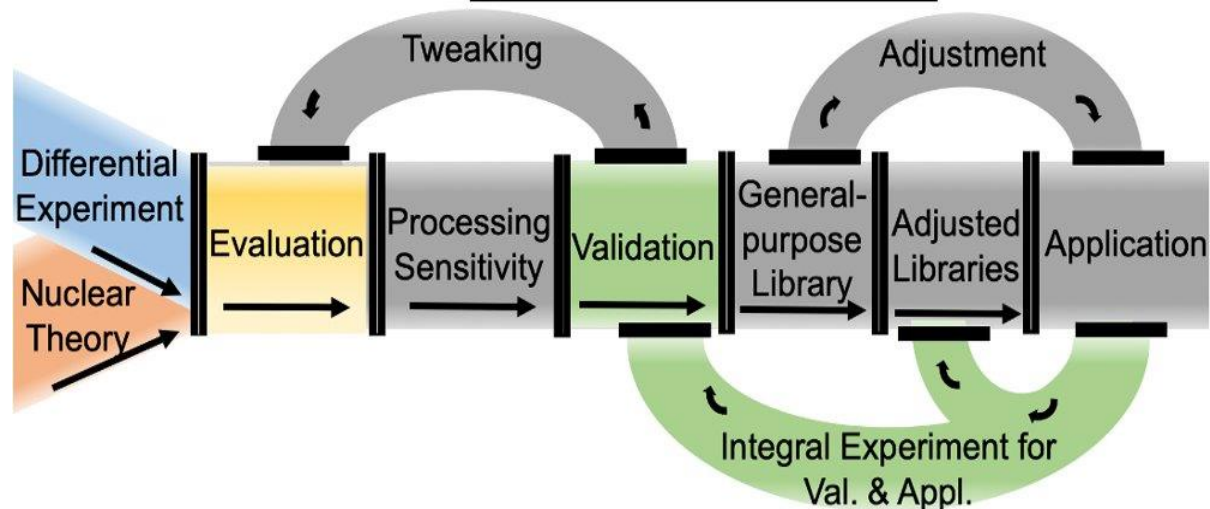
- PARADIGM
- Secondary measurements
- Developing Sensitivities
- Toy Problem
- Application Calculations
- Concluding Remarks

# Motivation

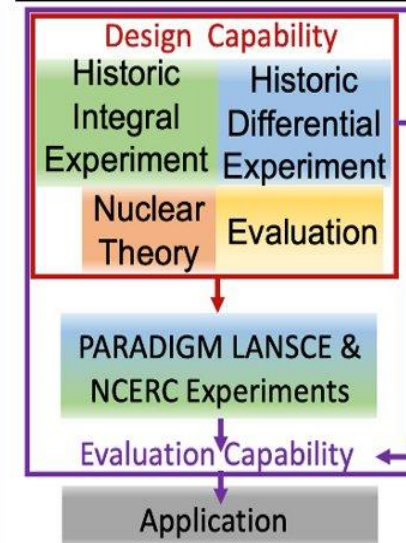
## Nuclear Data and Transport Codes need Validation

- PARallel Approach of Differential and Integral Measurement (PARADIGM) is an LDRD targeting the reduction of Pu-239 uncertainties in URR
- Part of this work are two integral experiments targeting the 1 – 600 keV region used for adjustment of cross sections

The linear ND pipeline



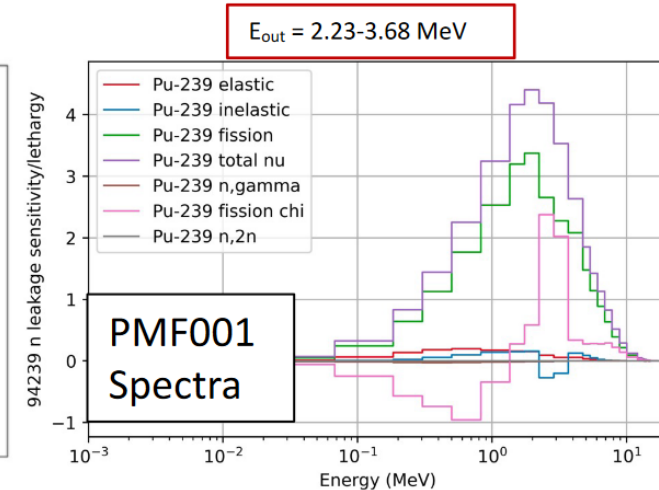
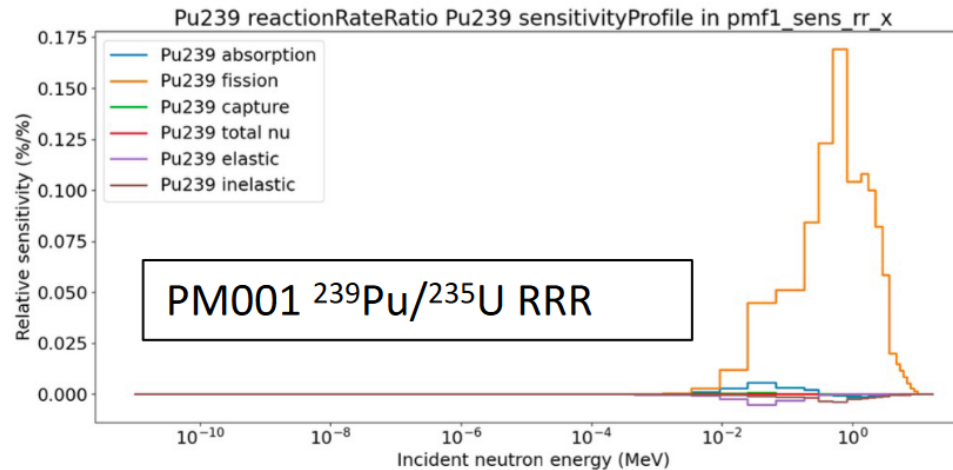
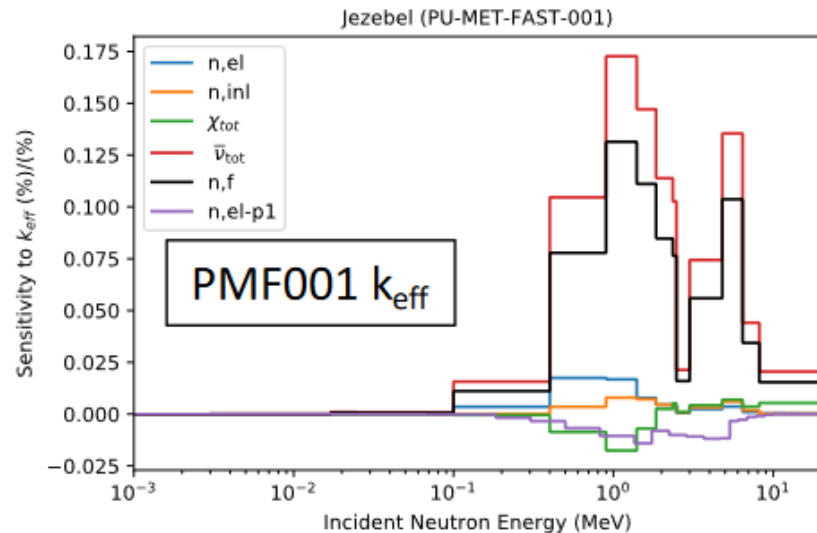
PARADIGM process



# Secondary Measurements

## Sensitivity Comparison

- Reaction rate ratios (RRR) and neutron leakage measurements offer highly sensitive measurements that are orthogonal to  $k_{eff}$
- Measurements are done in both a delayed critical and subcritical state

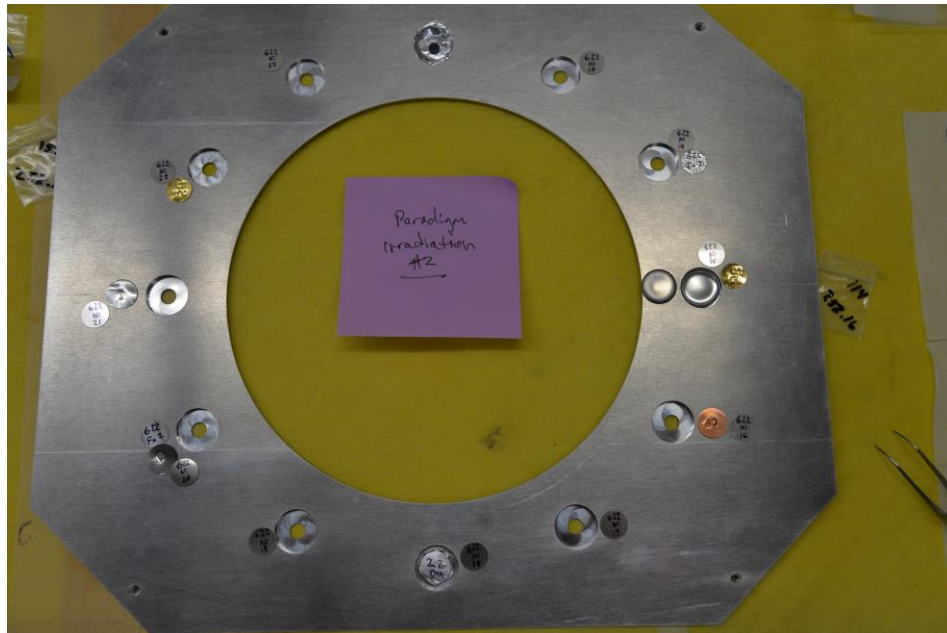




# Secondary Measurements

## PARADIGM Experiment

- Utilized MC-15 neutron noise, Bonner sphere leakage, and activation/fission foil irradiations for both critical configurations





# Developing Sensitivities

## Options for calculating sensitivities

- XSn → Make ACE files with perturbed cross section and run the MCNP with each perturbed ACE
- FSEN → Adjoin weighting method available in beta version of MCNP6.3
- PERT → Performs Taylor series expansion for 1<sup>st</sup> and 2<sup>nd</sup> order sensitivities to a given perturbation.
- SENSMG → Available in PARTISN, need low fidelity models to perform sensitivities with, fine for many applications

# Developing Sensitivities

## Options for calculating sensitivities

- XSn → Will always give the correct answer, perturbation size matters (uncertainties could be large), will take the longest
- FSEN → Time limitation on HPC for 12 hrs., few validation cases
- PERT → Will give 1<sup>st</sup> and 2<sup>nd</sup> order answer, some limitations on perturbation size and starts adding to run time with lots of pert.
- SENSMG → Fast and exact answer, need cylindrical/spherical models  
FSEN, Manual Pert., and PERT all give the same answer on lower multiplication ( $k_{eff} < 0.95$ ) for flux tallies relative to Pu-239 –

J. Lamproe et al. “Preliminary verification of the MCNP perturbation and fixed-source tally sensitivity tools” Ann. of Nuc. Eng., Vol 194, 2023.



# Developing Sensitivities

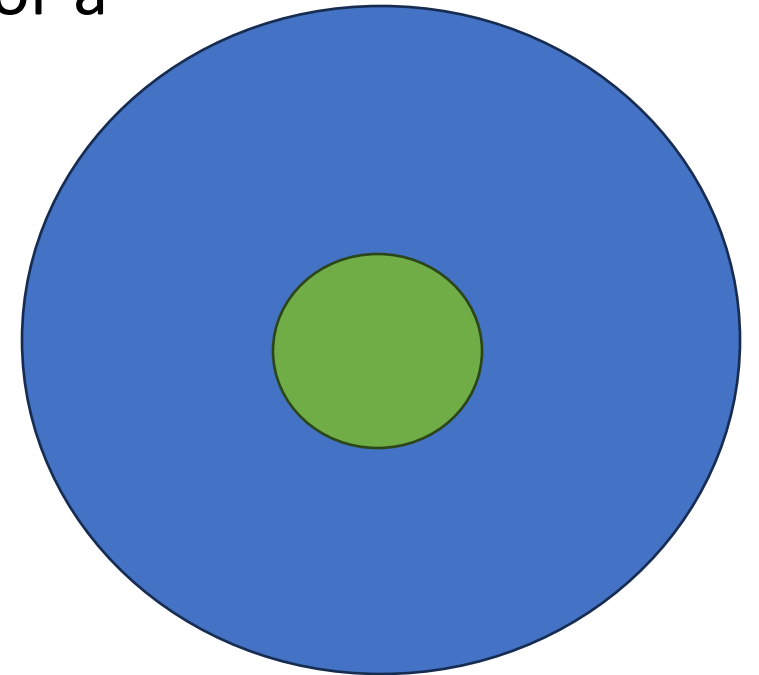
## Options for calculating sensitivities

- What happens when we start performing RRR sensitivities for high, near-infinite multiplication?

# Toy Problem

## Reaction Rate Ratios for Modified Jezebel

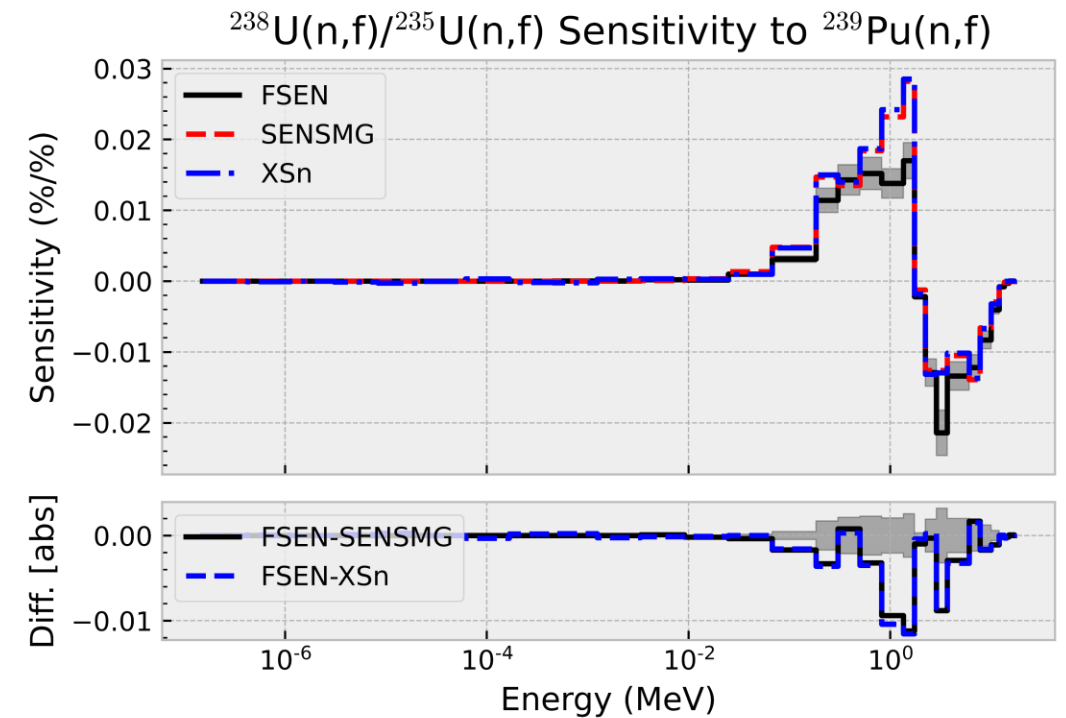
- Jezebel with the inner  $\frac{1}{2}$ " diameter swapped out for a 50 a/t% HEU sphere (50/50 U8-U5)
- Look at the U8, U5, Average Flux, with respect to various cross sections
- Compare against manual pert. and SENSMSG
- FSEN has radius shrunk slightly so  $M=100$  to prevent infinite runtime.



# Toy Problem

## Looking at Sensitivities with perturbation not in RRR

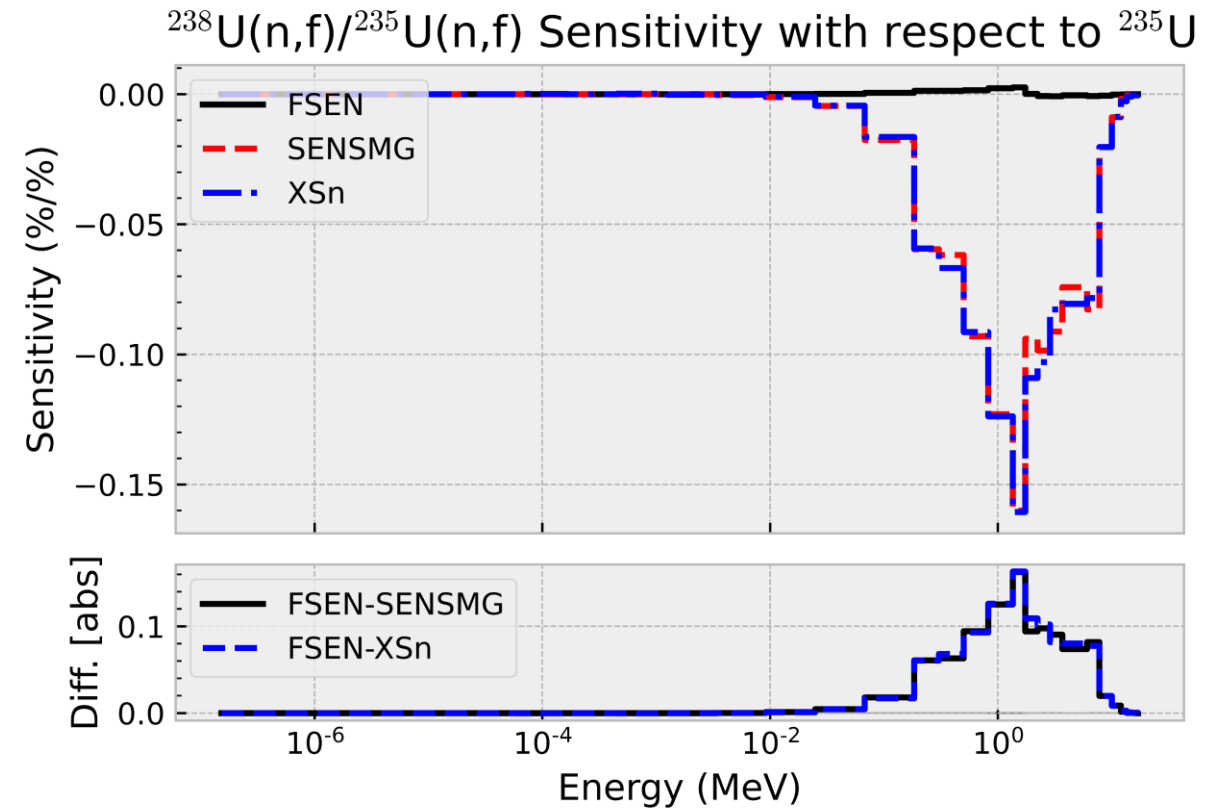
- FSEN will calculate close to what is predicted
- Combination of both statistics and multiplication



# Toy Problem

## Looking at Sensitivities with perturbation in RRR

- FSEN will not calculate close to what is predicted.
- Cause: FSEN doesn't affect the tally multiplier for xs of interest (but there is a way around)



# FSEN Capability

## Sensitivity to Reaction Rate Ratio

- Two components in RRR, the change in the flux that and the change in cross section.

$$S_{R,x}^g = \left( \frac{\sigma_x^g}{R_1} \int_V dV \frac{\partial \Sigma_1^g(r)}{\partial \sigma_x^g} \phi^g(r) - \frac{\sigma_x^g}{R_2} \int_V dV \frac{\partial \Sigma_2^g(r)}{\partial \sigma_x^g} \phi^g(r) \right) + \left( \frac{\sigma_x^g}{R_1} \int_V dV \Sigma_1^g(r) \frac{\partial \phi^g(r)}{\partial \sigma_x^g} - \frac{\sigma_x^g}{R_2} \int_V dV \Sigma_2^g(r) \frac{\partial \phi^g(r)}{\partial \sigma_x^g} \right)$$



# FSEN Capability

## Sensitivity to Reaction Rate Ratio

- If the cross section we are taking the sensitivity to is not in the RRR, the first half drops out

$$S_{R,x}^g = \left( \frac{\sigma_x^g}{R_1} \int_V dV \frac{\partial \Sigma_1^g(r)}{\partial \sigma_x^g} \phi^g(r) - \frac{\sigma_x^g}{R_2} \int_V dV \frac{\partial \Sigma_2^g(r)}{\partial \sigma_x^g} \phi^g(r) \right) + \left( \frac{\sigma_x^g}{R_1} \int_V dV \Sigma_1^g(r) \frac{\partial \phi^g(r)}{\partial \sigma_x^g} - \frac{\sigma_x^g}{R_2} \int_V dV \Sigma_2^g(r) \frac{\partial \phi^g(r)}{\partial \sigma_x^g} \right)$$

0

# FSEN Capability

## Sensitivity to Reaction Rate Ratio

- However, if it is in the RRR, then only one part of the first half drops out
- The derivative of the macroscopic cross section w.r.t. the microscopic is 1

$$S_{R,x}^g = \left( \frac{\sigma_x^g}{R_1} \int_V dV \frac{\partial \Sigma_1^g(r)}{\partial \sigma_x^g} \phi^g(r) - \frac{\sigma_x^g}{R_2} \int_V dV \frac{\partial \Sigma_2^g(r)}{\partial \sigma_x^g} \phi^g(r) \right) + \left( \frac{\sigma_x^g}{R_1} \int_V dV \Sigma_1^g(r) \frac{\partial \phi^g(r)}{\partial \sigma_x^g} - \frac{\sigma_x^g}{R_2} \int_V dV \Sigma_2^g(r) \frac{\partial \phi^g(r)}{\partial \sigma_x^g} \right)$$

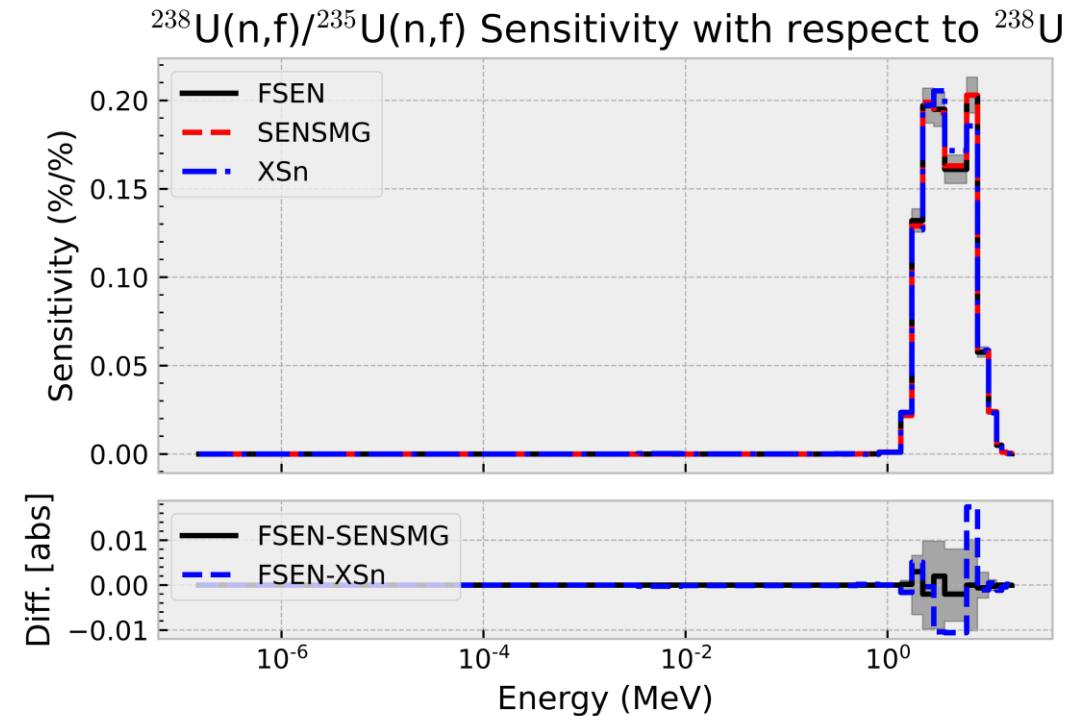
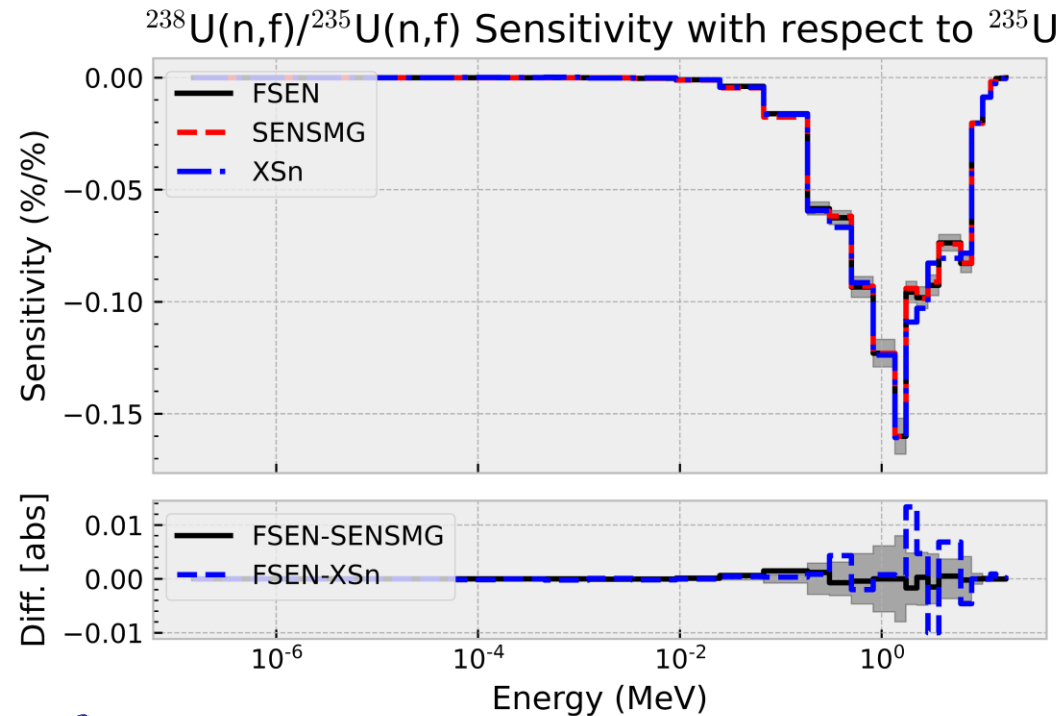
0 or 1                                      0 or 1

- Then all you need to do is calculate the energy dependent contributions to the reaction rate.

# Toy Problem

## Looking at Sensitivities with perturbation in RRR

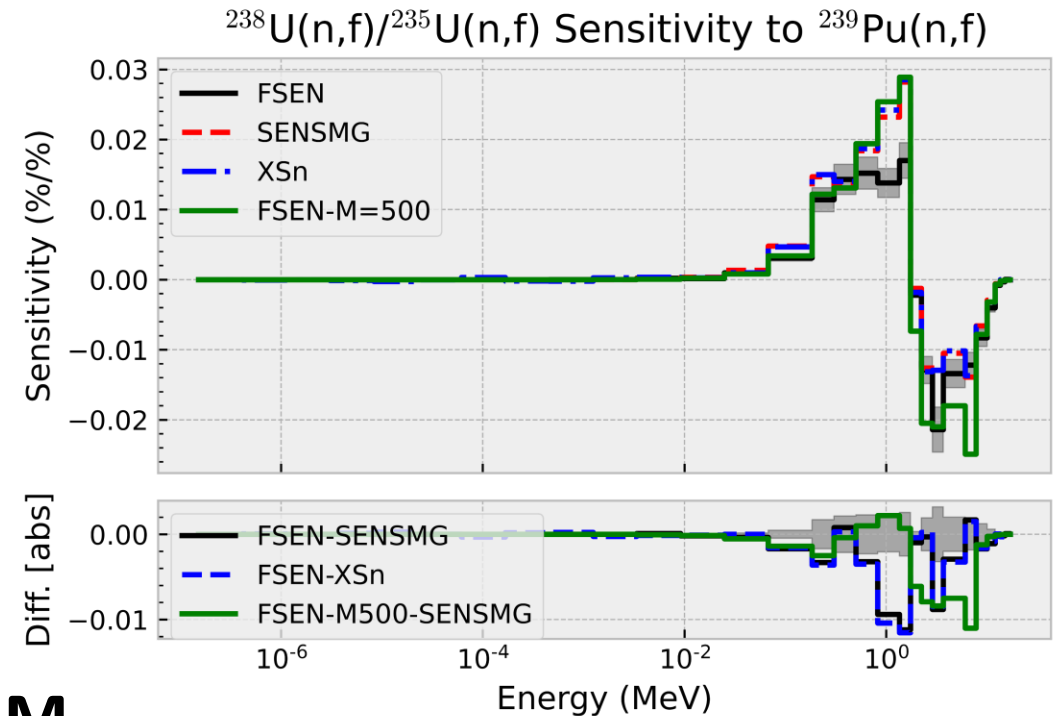
- FSEN predicted + partial reaction rate contributions returns XS<sub>n</sub> and SENS<sub>MG</sub> results



# Future Work

## Accounting for Multiplication

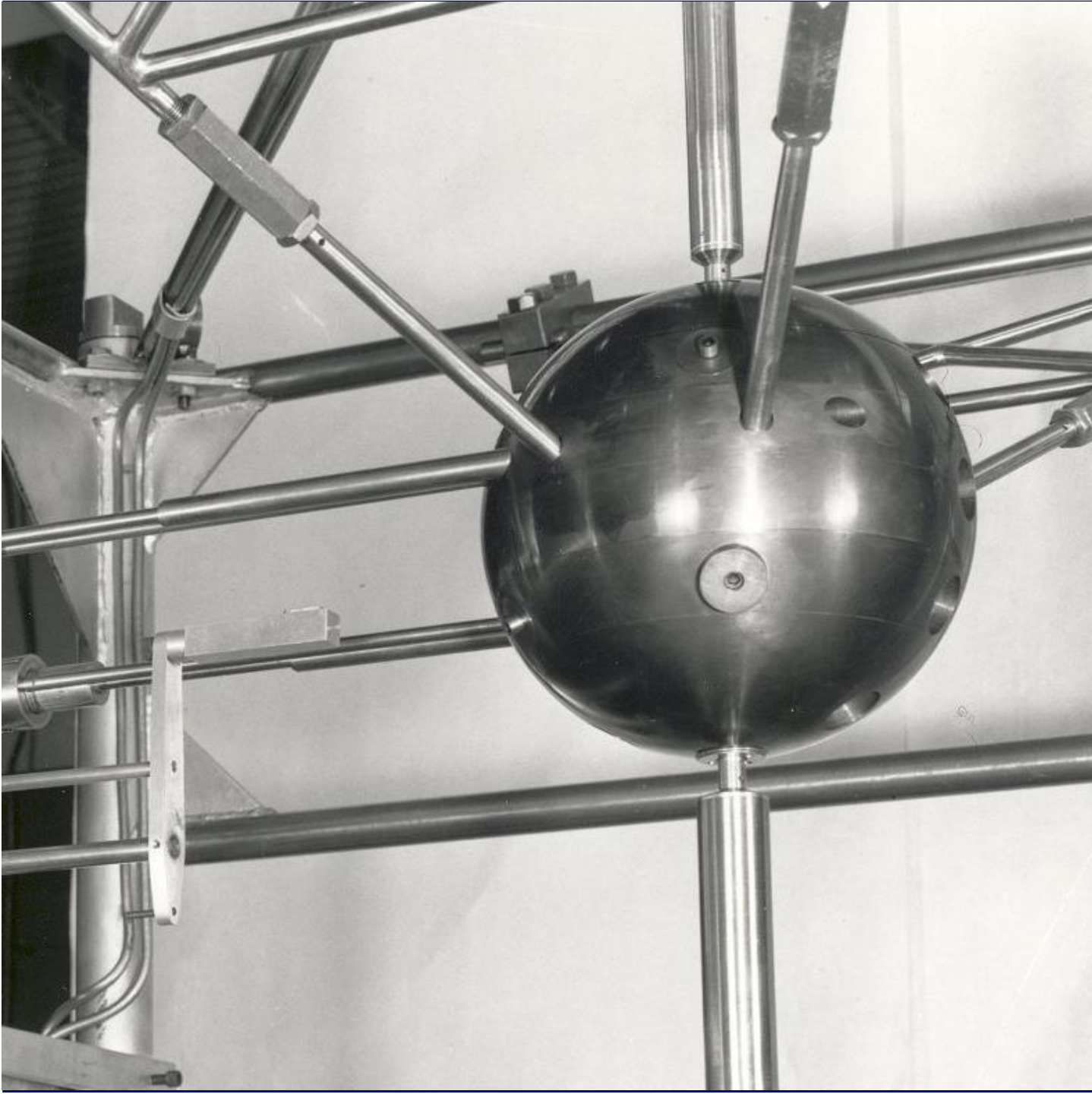
- Indirect (flux) driven sensitivity changes as a function of system multiplication
- Looking into various multiplications as how this impacts the indirect sensitivity
- **Apply these to generating sensitivity matrices for ND adjustment of PARADIGM**



# Conclusions

## FSEN Time

- FSEN provides an opportunity to quickly calculate sensitivities to orthogonal measurements during integral experiments
- Toy problem has been deployed to expand on verification of FSEN for reaction rate ratios
- While there is decent agreement, further investigation must be done on multiplication's impact on sensitivity vector.



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